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A REVIEW OF CHEMICALLY REACTIVE PLUME MODELS. PART I. MODELS INCORPORATING MACRO-MIXING PROCESSES

Chemically reactive plume models describing the formation of secondary pollutants in plumes emitted from tall stacks are presented. The models are grouped together in classes according to the way in which turbulent mixing processes are described. The term *turbulent mixing* involves here both macro-mixing and micro-mixing. Macro-mixing processes account for the variation of mean concentrations, while micro-mixing processes affect the deviations from the mean values. The review is divided into two parts: part I presents the models, in which only macro-mixing processes are taken into account, while part II is devoted to the models, which either represent micro-mixing processes or account for both macro- and micro-mixing processes.

1. INTRODUCTION

Chemically reactive plume models are used to simulate transport, dispersion and non-linear chemistry of plumes emitted from high-level point sources such as tall stacks of large industrial boilers and fossil-fuel burning power plants. These models allow us to calculate the concentrations of primary pollutants, i.e. those emitted directly from chimneys to the atmospheric air, as well as the concentrations of secondary pollutants, i.e. those which are formed in the atmosphere due to chemical reactions between stack effluents and ambient air species.

Nitrogen oxides and sulphur dioxide are the main primary species emitted from stacks. Ozone, PAN, sulphuric and nitric acids are the main secondary species formed in the atmosphere. The production of secondary species is strongly influenced by hydrocarbons present in the ambient air. It is especially intensive under sunshine and warm weather conditions. Secondary pollutants are now thought to be more harmful to environment and people health then primary pollutants.

There is a great variety of chemically reactive plume models. They differ in the way of the description of mixing of plume with the ambient air and in the complexity of chemical

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reaction systems applied. In this review, chemically reactive plume models are grouped together in classes according to the way in which mixing processes are described. This criterion was introduced by GEORGOPOULOS and SEINFELD [23], [26], [27].

The term *mixing processes* involves here both macro-mixing and micro-mixing [5], [13], [14], [15]. Macro-mixing is defined as the process of turbulent mixing at a level of mean concentrations. It is related to the expansion of plume as a whole and mixing of the ambient air with stack effluents inside a plume at a level of mean concentrations. Micro-mixing is defined as the process of turbulent mixing on such a scale that chemical reactions take place, i.e. at a molecular level. It is related to fine fluctuations of concentrations, i.e. fluctuations in excess of or below average values. For the models relevant to time-averaged realisations the mean values of concentrations refer to time-averaged concentrations. For the models relevant to instantaneous realisations the mean concentrations refer to ensemble averages.

The review of chemically reactive plume models is presented in two parts:

1. Models in which only macro-mixing processes are taken into account.

2. Models which either focus on micro-mixing processes only or account for both macro- and micro-mixing processes.

In this paper, models of reactive plumes incorporating only macro-mixing processes are presented. There are four classes of these models:

class 1: uniformly mixed expanding volume models,

class 2: partially-perfectly mixed expanding volume models,

class 3: sectionally homogeneous expanding multi-volume models,

class 4: extended Gaussian-type models.

All the models incorporating the macro-mixing processes account for the expansion of plume. They differ in the way of describing mean concentration fields. In the models of class 1, uniform mixing is assumed in a control plume volume. In the models of class 2, we assume partial perfect mixing of stack effluents in a plume. Class 3 comprises the models in which sectionally homogeneous mean concentration fields are considered, while class 4 includes such models in which a continuous mean concentration distribution in plume boundaries is taken into account. For each class general assumptions and main mathematical equations are presented. Examples of specific models, their characteristic as well as the tests performed are discussed.

The authoress hopes that this two-part review of chemically reactive plume models will be of use to a beginner as a text to study and to an expert in the field of air pollution dispersion modelling as a material systematising and summarising the current state of knowledge in this area.

2. CLASS 1. UNIFORMLY MIXED EXPANDING VOLUME MODELS

Models included in this class describe the mixing processes in the most simplified way. They account only for the expansion of plume formed by stack emissions. Uni-

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form mixing is assumed in a control plume volume. These models can be considered as the development of the Lagrangian trajectory constant-volume box models in which a box follows a trajectory of the wind [36]. An expanding control volume of plume "takes place" of the moving constant-volume box.

In the models, which fall into this class, plume cross sections are assumed to be circular [9], [10], [21], elliptical [11], [12], or rectangular [37], [38], [42] in shape. In most cases, plume boundaries are defined by time-averaged envelopes. A width and depth of plume are determined by means of time-averaged dispersion coefficients or vertex angles in the horizontal and vertical directions. However, McRAE et al. [38] introduced instantaneous realisations of plume to his model and suggested that dispersion coefficients accounting only for the relative diffusion should be applied.

In the models of class 1, meteorological conditions are assumed to be constant. They are characterised by the mean wind and atmospheric stability class. In most cases, there is no consideration of plume interactions with the ground or inversion layer. Usually many types of species are considered and complex chemistry schemes including about 100 gas-phase chemical reactions are applied [18], [8]. A composition of the ambient air is assumed constant.

The change of a pollutant concentration in a control volume is based on mass conservation equation. Terms which account for the expansion of plume volume, entrainment of the ambient air and chemical reactions are present in this equation. There is one equation for each species considered in the system. It has the following form:

$$\frac{dC_{i,p}}{dt} = \frac{dV}{dt} \frac{1}{V} \left(-\overline{C}_{i,p} + \overline{C}_{i,a}\right) + \overline{R}_{i} \left(\overline{C}_{i}, \overline{C}_{i+1}, \ldots\right), \tag{1}$$

where: $\overline{C}_{i,p}$, $\overline{C}_{i,a}$ are the mean concentrations of species *i* in a control volume of plume and in the ambient air, respectively; dV/dt is the increase in the control volume in time; \overline{R}_i is the change of the concentration of species *i* due to chemical processes.

Most of the models of class 1 were developed to examine the influence of various environmental parameters on the formation of secondary pollutants in the atmosphere. This includes: the atmospheric stability, wind speed, compositions of plume and ambient air and intensity of solar radiation. In the tests performed, "typical" data were applied, i.e. the data representative of the most common situations. The models were constructed for a travel distance up to 50 km.

The computer simulations confirmed the dependence of plume chemistry on the parameters studied. However, it has been suggested that it is unlikely that these models can account for the plume chemistry, particularly during early stages of the plume expansion in real situations [9].

Examples of the uniformly mixed expanding volume models	
 References Institution Performed tests/ Validation 	 4. Model concept a) Shape of plume cross sections b) Determination of plume boundaries c) Plume interactions with the ground or inversion layer d) Types of primary species considered (plume and ambient air) e) Chemical kinetic scheme applied f) Other physical processes
 COCKS and FLETCHER [9] Central Electricity Research Laboratories, UK Examination of the influence of ambient air composition and atmospheric stability conditions on the formation of secondary pollutants (particularly acidic products) in power-plant plumes MEAGHER and LURIA [42] 	 4. a) Circular b) Cone of a planar vertex angle 2ř; ř = f (atm. stab.) c) Not considered d) NO, NO₂, SO₂, CO, HCs e) Gas-phase chemistry; ~93 reactions; constant photolytic rates f) Not considered 4.
 MEAGHER and LURIA [42] Tennessee Valley Authority, AL, USA Examination of various environmental parameters (wind speed, atmospheric stability, solar intensity, stack emissions and ambient-air compositions) affecting production of secondary pollutants (sulphate, ozone, nitrate) 	 a) Elliptical b) Based on dispersion parameters δ, δ=f (time, atm. stab.) c) Not considered d) NO, NO₂, CO, HCs (olefins, paraffins, aromatics, ethylene, carbonyls), SO₂ e) Carbon bound mechanism (CBM) of WHITTEN et al. [51]; gas-phase chemistry; 65 original reactions + 3 reactions describing conversion of SO₂ to SO₄ added; photolytic rate coefficients calculated based on procedure of SCHERE and DEMERIJAN [17] f) Not considered
 COCKS, FLETCHER and KALLEND [10], [11], [12] Central Electricity Research Laboratories, UK Examination of the influence of season, time of release and dispersion rate on the chemical behaviour of power plume emitted into an urban/rural ambient at- mosphere. Power plume expands into an ambient air after the original oceanic air parcel has travelled ~190 km over land 	 4. a) Rectangular b) Expanding box with half-angles φ and γ in the horizontal and vertical directions, respectively c) Vertical expansion ceases upon simultaneous contact with the ground and top of the mixing layer; plume emissions – injected in a centre of the mixing layer d) NO, NO₂, SO₂, CO, HCs, HCl e) Gas-phase chemistry based on papers of BAULCH et al. [3], ATKINSON and LLOYD [1]; lumped HCs scheme; photolytic rate coefficients modified for diurnal effects using a simple zenith angle correction f) Deposition

Examples of the uniformly mixed expanding volume models

1. FORNEY and GIZ [20]	4.
2. Georgia Institute of Technology, GA, USA	a) Circular
3. Prediction of NO, NO ₂ , O ₃ concentra-	b) Growth of a plume describes a dilution parameter,
tions in a power-plant plume	which is a function of radius and local plume velo-
	city
	c) Not considered
	d) NO, NO ₂ ;
	e) Single reversible bi-molecular reaction; assumption
	that reactions are very fast in comparison to mixing
	times and that chemical equilibrium exists; method
	adapted to NO/NO ₂ /O ₃ system
	f) Not considered

The tests showed that in most cases OH radical is the most important species in the conversion of stack effluents into secondary pollutants and that plume reactivity is determined by the ratio of NO_x concentration in a plume to hydrocarbons' concentration in the ambient air. They confirmed the presence of an "ozone bulge", i.e. an excess of O_3 concentration in a plume in comparison to O_3 concentration in the ambient air [42].

Some of the models of class 1 were used in combination with urban air photochemical models [30], [31], [38]. It was concluded that the introduction of the point source sub-models of this type to the numerical regional models did not change significantly the overall results [13]–[15].

The examples of the specific models of class 1 are given in table 1. For each model its formulation and the tests carried out are given.

3. CLASS 2. PARTIALLY-PERFECTLY MIXED EXPANDING VOLUME MODELS

Models belonging to this class, in addition to the expansion of plume considered in the models of class 1, take into account the gradual mixing of source effluents with the ambient air. In the formulation of these models, it is assumed that source effluents are present in a plume in two phases: undiluted phase and perfectly mixed with the ambient air phase.

There are two models reported in the literature which fall into this class. They are described in the papers of CARMICHAEL and PETERS [8] and JANSSEN [3]. In the model of Carmichael and Peters, a time-averaged plume is discussed. Undiluted source effluents form a core surrounded by the ring of a perfectly mixed material. This ring, in turn, is surrounded by the ambient air.

In the model of Janssen, an instantaneous plume is analysed. In this model, source effluents form nuclei of parcels into which stack gases are broken up after their emission from a stack. The outer envelopes of these parcels are formed by the mixed mate-

rial and the individual parcels are separated by the ambient air. Not all the ambient air between the parcels is available for mixing. Part of the ambient air, which stays unmixed, is determined by an empirical parameter (f_a) . Images of a plume in these two models are shown in figure 1a, b.

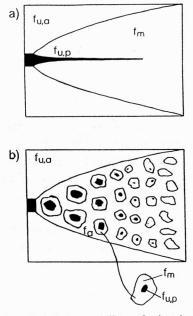


Fig. 1. Schematic representation of plume in partially-perfectly mixed expanding volume models: a) in the model of CARMICHAEL and PETERS [8], the undiluted source effluent $(f_{u, p})$ forms a core surrounded by a ring of perfectly mixed material (f_m) ; this ring is surrounded by the ambient air $(f_{u, a})$; b) in the model of JANSSEN [32], parcels of unmixed flue gas $(f_{u, p})$, mixed plume (f_m) and the ambient air $(f_{av}, f_{u, a})$ occur next to each other in a plume

In these two models, the mixing process is viewed as a pseudo-kinetic step and is governed by the mixing intensity (an empirical parameter k_m) and concentrations of reactants. As far as mathematical form is concerned, the mixing is expressed by three equations: two derivative equations describing the decrease in the fraction of unmixed stack effluents and the unmixed ambient air and equation describing the growth of mixed fraction. These equations are as follows:

$$\frac{df_{u,p}}{dt} = -k_m f_{u,p} (1 - f_{u,p}),$$
(2)

$$\frac{df_{u,a}}{dt} = -k_m f_{u,a} (1 - f_{u,a}),$$
(3)

$$f_{u, p} + f_{u, a} + f_m + f_a = 1, (4)$$

where: $f_{u,p}$ and $f_{u,a}$ are the fractions of a total volume occupied by unmixed stack effluents and the unmixed ambient air, respectively; f_m and f_a are the fractions of a total volume occupied by mixed material and by the ambient air not available for mixing, respectively; k_m denotes the mixing parameter. In the model of Carmichael and Peters, all the ambient air is available for mixing, i.e. $f_a \equiv 0$.

In these models, meteorological conditions are constant. Deposition processes are neglected. The interactions of plume with the ground or inversion layer are not considered either.

In both models, only basic chemical reactions connected with oxidation of NO and photolysis of NO_2 are taken into account, i.e. only $NO/NO_2/O_3$ system is considered. In the model of Carmichael and Peters, it is assumed that chemical reactions take place only in a mixed phase of plume, while in the model of Janssen, chemistry is allowed to act in both phases of stack effluents: mixed phase and undiluted phase.

The change of pollutant concentration in a mixed volume is calculated based on a set of mass balance equations. There is one equation for one species. Terms representing the entrainment of reactant to the volume, volume expansion and chemical changes are included in this equation. It takes the following form:

$$\frac{d\overline{C}_{i,m}}{dt} = -\frac{\overline{C}_{i,u,p}}{f_m} \frac{df_{u,p}}{dt} \frac{\overline{C}_{i,m}}{f_m} \frac{df_m}{dt} + \overline{R}_{i,m}(\overline{C}_i, \overline{C}_{i+1}, \dots) - \frac{\overline{C}_{i,u,a}}{f_m} \frac{df_{u,a}}{dt}, \quad (5)$$

where: $\overline{C}_{i,m}$, $\overline{C}_{i,u,p}$, $\overline{C}_{i,u,a}$ are the mean concentrations of the species *i* in a mixed phase of plume, undiluted stack effluents and undiluted ambient air, respectively; $\overline{C}_{i,u,p}$ is constant in time or is calculated based on chemical reaction equations; f_m , $f_{u,p}$, $f_{u,a}$ are the fractions of total volume occupied by the mixed material, undiluted stack effluents and undiluted ambient air, respectively; $\overline{R}_{i,m}$ is the change in the concentration of the species *i* due to chemical processes.

The models of class 2 apply only to the near-field simulation of the behaviour of reactive plumes. The distance of 50 km seems the maximum one.

The model of Carmichael and Peters was used to study NO oxidation in a plume from the Potomac Electric Company power plant at Morgantown, Maryland, the U.S.A. The plume was traced up to a distance of 15 km from the stack. An empirical parameter k_m was estimated based on the paper by SHU et al. [47] and the data generated by Deardoff's numerical turbulence model [16]. Predicted temporal profiles of key pollutants and large deviation from the photostationary state in a plume were consistent with the observations.

The model of Janssen was used to study NO oxidation rates in plumes of some Dutch power plants of KNMI database [35] and in one German power plant [24].

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Plumes were traced up to a distance of 50 km. The empirical parameters required were chosen in such a way that calculated NO₂/NO ratios agreed with measured values. Results showed the following characteristics. A plume, at some distance from a stack, consists largely of unmixed air. At a height of plume axis oxidation reactions of NO₂ with O₂ must also be taken into account. When a plume is reaching the ground it can be considered to be diluted, well mixed and homogeneous. In such a situation, O₂ oxidation does not need to be considered any longer.

The advantage of the models of class 2 over the models of class 1 seems to be only relative as in the models of class 2 we employ empirical parameters whose values are estimated based on data fitting. These parameters not necessarily are independent of a source height or meteorological conditions [8].

4. CLASS 3. SECTIONALLY HOMOGENEOUS EXPANDING MULTI-VOLUME MODELS

Models belonging to this class account for both expansion of plume and sectionally homogeneous mean concentration fields. Fluctuations of concentrations are not considered here. These models can be regarded as the development of the uniformly mixed expanding volume models of class 1. An expanding plume is divided either into an array of boxes of rectangular cross sections ("multi-box models") or concentric elliptical rings ("multi-ring models"). In each sub-volume, species are perfectly mixed.

In most of "multi-box models", it is assumed that a plume occupies a whole mixing layer. Usually the exchange of material with the air aloft, i.e. above the mixing layer, is taken into account. The horizontal extension of plume is determined based on a time-averaged dispersion coefficient. The boxes have either equal volumes [18], [19], [29] or their volumes are defined by the requirement that the total mass of each pollutant is initially equally divided between the boxes [48]. To evaluate the mass in the boxes or box volumes it is assumed that at a specific distance, close to a stack, there is the Gaussian distribution of concentrations in the horizontal direction inside plume boundaries. Beyond this specific distance chemical reactions do not proceed in a plume. The schematic representation of plume in the multi-box models is given in figure 2a.

The change of pollutant concentration inside each box is calculated based on a set of mass conservation equations. There is one equation for one species. This equation includes terms representing: the expansion of box volume, change of concentration due to chemical reactions and deposition, exchange of material with the air above the inversion layer and between the neighbouring boxes. In the case of outermost boxes, an entrainment of the ambient air is taken into account. The governing equation takes the following form:

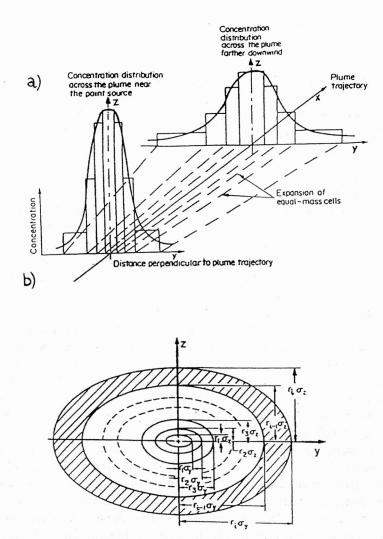


Fig. 2. Schematic representation of plume in sectionally homogeneous expanding multi-volume models:
a) in the muti-box model [48], a cross section of plume is divided into an array of boxes of rectangular cross sections; plume boundaries in the horizontal direction are described by dispersion coefficient; initially we have the Gaussian distribution of concentration in the horizontal direction;
b) in the multi-ring model [43], a cross section of plume is divided into concentric rings; plume boundaries are described by dispersion coefficients; initially we have the Gaussian distribution of concentration in the horizontal direction;
b) in the multi-ring model [43], a cross section of plume is divided into concentric rings; plume boundaries are described by dispersion coefficients; initially we have the Gaussian distribution of concentration in a plume cross section

$$\frac{d\overline{C}_i^{\ j}}{dt} = -\left(\frac{1}{w^j}\frac{dw^j}{dt}\right)\overline{C}_i^{\ j} - \left(\frac{1}{h^j}\frac{dh^j}{dt}\right)\overline{C}_i^{\ j}$$

$$+\left(\frac{1}{h^{j}}\frac{dh^{j}}{dt}\right)\overline{C}_{i,a} + F_{i}^{j} + \overline{R}_{i}^{j} + \frac{\nu_{i}}{h_{j}}\overline{C}_{i}^{j} + S_{i}^{j}, \qquad (6)$$

where: \overline{C}_i^{j} , $\overline{C}_{i,a}$ are the mean concentrations of the species *i* in the box *j* and above the inversion layer, respectively; w_j , h_j are the width and height of the box; F_i^{j} is the mass transfer across the expanding *j*-th box boundaries; v_d is the deposition velocity of the species *i*; S_i^{j} is the flux of the species *i* from the ground to the box *j*; \overline{R}_i^{j} is the change in the concentration of the species *i* in the *j*-th box due to chemical processes.

Different mixing schemes for parametrisation of the interaction between neighbouring boxes are used. The examination of some schemes can be found in the paper of CLARK and COX [7]. Compositions of the ambient air and air aloft (i.e. above the mixing layer) in most cases are calculated by means of a simple model. Usually many types of species are taken into account and complex chemistry schemes are applied.

The idea of portioning out the plume cross section to boxes in the vertical direction was extended further and in a model of CHANG et al. [6] a plume cross section was divided laterally and vertically into equal rectangular boxes.

In the "multi-ring models" [43], [44], plume boundaries are determined based on horizontal and vertical dispersion coefficients. Surfaces of concentric rings into which plume cross section are divided at each distance from a source are determined by the requirement that each ring contains an equal mass of inert pollutants. The turbulent exchange between adjacent rings as well as the entrainment of the ambient air to the outermost ring is taken into account. The schematic representation of plume in the multi-ring ring models is given in figure 2b.

In these models, meteorological conditions characterised by the mean wind velocity and atmospheric stability class are constant. Interactions of plume with the ground or inversion layer are not considered. Deposition processes are neglected. As far as chemistry is concerned reactions are assumed to be sufficiently slow so they are not influenced by fine-scale fluctuations of concentrations. In some models, only NO/NO₂/O₃ system is considered [44]. In other models, a whole range of chemical species is taken into account [4], [19], [29].

The change of concentration in each ring is calculated based on a mass conservation equation. This equation for the ring j for the species i takes the following form [22], [23]:

$$\frac{d\overline{C}_{i}^{j}}{dt} = f\left(l_{i}\overline{C}_{i}^{j-1} + m\overline{C}_{i}^{j} + n\overline{C}_{i}^{j+1}\right) + \overline{R}_{i}^{j}\left(\overline{C}_{i},\overline{C}_{i+1},\ldots\right),\tag{7}$$

where: *j* is the number of the ring; *f* is the parameter calculated as the function of the product of Gaussian dispersion coefficients δ_{v} and δ_{z} ; *l*, *m*, *n* are the parameters cal-

culated as the functions of the ring index j and the total number of rings N; \overline{R}_i^{j} is the change of pollutant concentration due to chemical reactions.

For inert pollutant this method is equivalent to the method of discrete approximation allowing us to arrive at the Gaussian concentration distribution. The goodness of the fit depends on a number of elliptical rings used.

The models of class 3 were applied to simulate the behaviour of reactive plumes emitted from power stacks for distances up to \sim 150 km. Most of these models were validated based on data collected during intensive field experiments. Good consistence of models results with the measurements was obtained.

Table 2

1. References	4. Model concept
2. Institution	a) Shape of plume cross sections
3. Tests performed/Validation	b) Determination of plume boundaries
	c) Plume interactions with the ground or inversion
	layer
	 d) Parametrisation of the mass transfer between the neighbour boxes/rings in a plume cross section
	e) Types of primary species considered (plume and am- bient air)
1	f) Chemical kinetic scheme applied
the first of the state and and the	g) Other physical processes
1. STEWARD and LIU [48]	4. The factor of the second
2. System Applications Incorporated, San	
Rafael, USA	b) Based on dispersion coefficients δ_y , δ_z (Briggs curves).
3. Comparison of model predictions of photo-	
power-plant plumes with field measure-	
ments: Widows Creek power plant, Ala-	d) Array of boxes of different volumes. Initially the Gaus-
bama, USA; Oak Greek power plant, Wis-	F
consin, USA	boundaries and total mass of pollutant is equally di-
	vided between the boxes; diffusivity coefficients' val-
	ues are determined in such a way that net mass fluxes
	across the expanding box boundaries for inert species
	are equal to zero
	e) NO, NO ₂ , CO, SO ₂ , HCs (paraffin, olefin, carbonyl,
ب من ^ب	ethylene)
	f) Carbon bound mechanism (CBM) of WHITTEN et al.
	[51]; gas-phase chemistry; 65 reactions; NO ₂ photoly-
	sis rates calculated based on algorithm of SCHERE and DEMERIJAN [17]
a	g) Not considered
	5/ 100 001310000

Examples of the sectionally homogeneous expanding multi-volume models

F0.01	4
1. HOV and ISAKSEN [29]	4.
2. Institute of Geophysics, University of Oslo,	a) Rectangular
Norway	b) Vertically plume fills up the whole mixing layer;
3. Simulation of general characteristics of the	plume depth equals $4\delta_y$
secondary pollutants formation in power-	c) Vertical expansion of the plume limited by the
plant plumes in a fair weather	ground and inversion layer; reservoir layer above
plant planes in a lan	mixing layer
	d) Array of boxes of equal volumes. The ambient air
	enters boxes cross-wind and aloft. In a scheme ap-
	plied, 2 sequential processes are distinguished: dif-
	fusion and grid expansion. Diffusion is calculated on
	a fixed space grid. After a finite time step the results
	a fixed space grid. After a finite time step the results
	are interpolated on the expanded grid. Linear trans-
	formation is used. Diffusivity coefficients deter-
	mined assuming the Gaussian distribution for inert
	species
가려 가지 않는 것이 있는 것이 있는 것이 있는 것이 있는 것이 있는 것이 있다. 전문 문화 같은 것이 있는 것이 없다. 것이 있는 것이 있는 것이 있는 것이 없는 것이 없는 것이 없는 것이 없는 것이 없는	e) SO_2 , NO, NO ₂ , CO, HCs
	f) Gas-phase chemistry; ~200 reactions, 85 species;
	scheme developed by DERWENT and HOV [19].
	Diurnal variation of solar radiation computed
	based on the scheme of HOW and ISAKSEN [29].
	No chemistry during first 15 minutes of a plume
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ા સમ દેવનું આ પ્લેપુર્ગ માટેલું પ્રદેશ	travel
	g) Deposition
1. DERWENT [18], [19], [20]	4.
2. Harwell Laboratory, UK	a) Rectangular
3. Examination of major features of secon-	b) Vertically plume fills up the whole mixing layer,
dary pollutants formation in power-plant	plume depth equals $4\delta_y$
plumes under typical UK conditions	c) See b)
premies and typ	d) Array of boxes of equal volumes, the initial mass of
	pollutant evaluated based on the Gaussian distri-
	bution of concentrations. Ambient air enters boxes
	downwind and aloft. Parametrisation of mass
	transfer follows that in the model of STEWARD and
and the second	LIU [48]
$[-\mu] = \frac{\partial}{\partial x_{\mu}} \rho = \partial$	e) SO ₂ , NO, NO ₂ , CO, 28 different groups of HCs
The way of the set of the set of	f) Gas-phase chemistry, ~100 reactions; scheme de-
a with a time that the fail to show	veloped based on papers of DERWENT and HOV
and a the state of the second	[19]. Photolysis rates vary diurnally with solar ze-
	nith angle calculated by the method of DERWENT
	and Hov [19]
化化学生物 化学生物 化化学器 化化学	g) Deposition, aerosol scavenging

and the second

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1. MELO and STEVENS [43], [44]	4.
2. Atmospheric Environment Service, Canada	
3. Interpretation of field data referring to NO ₂	b) Based on the dispersion parameters δ_y and δ_z
formation in a power-plant plume	c) Not considered
	 d) Concentric rings. Surfaces of rings determined by a requirement that each ring contains equal mass of inert species. Ambient air enters outermost ring. Turbulent exchange of material between adjacent rings e) NO₂, NO f) NO/NO₃/O₃ system, pseudo-steady state for 0 atoms,
	photolytic rate coefficients vary diurnally
	g) Not considered
1. BOTTENHEIM and STRAUSZ [4]	4.
2. University of Alberta, Canada	a)-d) See above in the model of MELO and STEVENS
3. Quantitative explanation of field measure-	
ments (oxidation rate of SO ₂ during sunny	
days within the range of $1-5$ h ⁻¹ . Under	f) Scheme developed based on: Carbon Bond Mechanism
certain conditions ozone bulges downwind	
from a stack: GCOS power plant, Alberta, Canada, and Milwaukee power plant,	
Wisconsin, Canada	DEMERIJAN [17]. No chemistry during first 2,5 minutes
	of plume travel
a na anti-	g) Not considered
1. MARKIEWICZ [39], [40], [41]	4.
2. Warsaw University of Technology, Po-	a)-g) See above in the model of DERWENT
land/AEA Technology, Harwell laboratory,	e i station de la seconda d
UK	
3. Influence of environmental parameters on	
the behaviour of chemically reactive plumes	
emitted from a coal-fired power station	

Computer simulations confirmed that secondary pollution formation in powerplant plumes depends on: the intensity of mixing, compositions of stack gases and ambient air, intensity of solar radiation. They showed that the distribution of secondary species in time is a striking demonstration of three stages of plume development. There is an initial stage with depletion and minimum at the centre line, an active fringe region with the centre line chemistry lagged behind, and finally the fully developed stage with maximum at the plume centre line [18], [19], [29], [39], [40], [41].

A multi-box model of STEWARD and LIU [48] in the modified version was used to simulate subgrid processes in a PARIS airshed model [46]. The change of meteorological conditions characterised by the mean wind velocity, atmospheric stability class and height of the mixing layer were included in this model. However, under some conditions the subgrid scale treatment of large point-source emissions is important, for example in determining the impact of specific point source in urban areas, it was

concluded that a detailed treatment of point sources is not critical for conventional urban airshed modelling studies.

The examples of specific models of class 3 with their characteristics and the tests carried out or validation are given in table 2.

5. CLASS 4. EXTENDED GAUSSIAN-TYPE MODELS

In the models included in this class, both the expansion of plume and inhomogeneous continuous concentration fields are taken into account. The fluctuations of concentrations, as in the previous models, are neglected. These models can be considered as equivalent to the Gaussian-type models for inert species as the omission of chemical processes in these models leads to the Gaussian distribution of mean concentrations in plume boundaries.

In the models of class 4, the mathematical description of the behaviour of species is based on a simplified transport/diffusion/chemistry equation. It is assumed that: (i) wind blows along x-axis with mean speed which is constant independently of a height; (ii) the molecular diffusion is neglected; (iii) the turbulent diffusion along the x-direction is neglected; (iv) the concentration field is constant in time; (v) there is no volume sources of considered species from the ground.

The "conventional" first-order closure based on *K*-theory is used to close the equation with respect to the turbulent fluxes. The "conventional" closure considering only mean concentrations is applied with respect to the chemical term.

The transport/dispersion/chemistry equation for the species i under these conditions takes the following form:

$$\overline{u}\frac{\partial \overline{C}_{i}}{\partial x} = \frac{\partial}{\partial y}\left(K_{y}\frac{\partial \overline{C}_{i}}{\partial y}\right) + \frac{\partial}{\partial z}\left(K_{z}\frac{\partial \overline{C}_{i}}{\partial z}\right) + R_{i}\left(\overline{C}_{i}, \overline{C}_{i+1}, ...\right),$$
(8)

where: \overline{u} is mean wind speed; $\overline{C}_i(x, y, z)$ is the mean concentration of the species *i* at a point (x, y, z) of the Cartesian co-ordinate system; K_y , K_z are the eddy diffusivity coefficients in the horizontal and vertical directions, respectively; \overline{R}_i is the change in concentration of the species *i* due to chemical processes.

Two types of models can be distinguished in this class. The first group involves the models in which a set of governing equations (there is one equation for one species) is solved directly with respect to mean concentrations (numerical extended Gaussian-type models). The second group comprises the models in which a set of governing equations is rearranged by introducing auxiliary variables to a set of equations which do not involve any chemical terms and which can be solved analytically with respect to the auxiliary variables (analytical extended Gaussian-type models). In the numerical extended Gaussian-type models, a set of transport/dispersion/chemistry equation is considered in the Lagrangian co-ordinate system [43], [34]. In addition to the listed assumptions (i)–(iv), the turbulent diffusion is considered to be isotropic. In this condition, the governing equation for the mean concentration of the species *i* takes the following form:

$$\frac{\partial \overline{C}_{i}}{\partial t} = K_{r}(t) \left(\frac{\partial^{2} \overline{C}_{i}}{\partial r^{2}} + \frac{1}{r} \frac{\partial \overline{C}_{i}}{\partial r} \right) + \overline{R}_{i} \left(\overline{C}_{i}, \overline{C}_{i+1}, \dots \right), \tag{9}$$

where: $\overline{C_i}$ is mean concentration of the species *i* at the receptor point in the Lagrangian co-ordinate system; K_r is the eddy diffusivity; *r* is the distance from a plume centre; $\overline{R_i}$ is the average reaction rate of the species *i*.

The eddy diffusivity coefficient has a constant value [43] or it varies with travel time [34]. The change of the eddy diffusivity coefficient $K_r(t)$ is described by the following equation:

$$\delta_r = \left(\delta_y \cdot \delta_z\right)^{0.5} = 2K_r(t)x/\overline{u} , \qquad (10)$$

where: δ_y , δ_z are horizontal and vertical dispersion coefficients, respectively; δ_r is an effective dispersion coefficient; $K_r(t)$ is eddy diffusivity coefficient; x is the distance from a stack; $x = \overline{u} \cdot t$; \overline{u} denotes mean wind speed.

In the numerical extended Gaussian-type models, meteorological conditions do not change. They are characterised by mean wind speed and atmospheric stability class. We do not consider the plume interactions with the ground or inversion layer. Deposition processes are neglected. Only $NO/NO_2/O_3$ system is considered.

In the analytical Gaussian-type models, the transport and dispersion are studied separately from chemical reactions in terms of auxiliary variables [45], [50]. These auxiliary variables are linear functions of concentrations. A set of n differential equations with respect to n species is transformed to a set of n-1 differential equations with respect to n-1 auxiliary variables.

The transport/diffusion/chemistry equation with respect to the auxiliary variable $\overline{\phi}_{i,k} = f(\overline{C}_{i,k}, \overline{C}_{k})$ has the following form:

$$\frac{\partial \overline{\phi_{i,k}}}{\partial t} = \frac{\partial}{\partial y} \left(K_y \frac{\partial \overline{\phi_{i,k}}}{\partial y} \right) + \frac{\partial}{\partial z} \left(K_z \frac{\partial \overline{\phi_{i,k}}}{\partial z} \right), \tag{11}$$

where: \overline{u} is mean wind velocity; $\overline{\phi}_{i,k}$ is mean auxiliary variable; K_y, K_z are horizontal and vertical eddy diffusivity coefficients, respectively.

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The equation has the same form as the transport/diffusion/chemistry equation for an inert species, if variable \overline{C}_i takes place of variable $\overline{\phi}_{i,k}$. Standard methods of solving this equation for an inert species can be applied. Introducing assumptions and initial boundary conditions, which lead to a Gaussian plume model [45], we arrive at the following formula with respect to $\overline{\phi}_{i,k}$

$$\overline{\phi}_{i,k}(x, y, z) = \overline{\phi}_{i,k} + \frac{Q_{i,k}}{(2\pi\overline{u}\,\delta_y\delta_z)} \exp\left[-\frac{y^2}{(2\delta_y^2)}\right]$$

$$\times \left\{ \exp\left[-\frac{(z-H)^2}{\left(2\delta_2^2\right)}\right] + \exp\left[-\frac{(z+H)^2}{\left(2\delta_2^2\right)}\right] \right\},\tag{12}$$

where: $Q_{i,k} = v_k Q_i + v_l Q_k$; Q_i , Q_k are intensities of the emission of respective species *i*, *k* from the stack; v_i , v_k are stoichiometric coefficients of the species *i*, *k*, respectively; \overline{u} is mean wind speed; *H* is the height of effective emission; δ_y , δ_z are horizontal and vertical dispersion coefficients, respectively.

The concentrations \overline{C}_i , \overline{C}_k of the species *i*, *k* are obtained by solving a set of algebraic equations combined with an equilibrium equation. Algebraic equations are those which relate concentrations to auxiliary variables.

Similarly to the numerical models described in this section meteorological conditions in these analytical models are constant. There are no interactions of plume with the ground or inversion layer. Deposition processes are neglected. In the analytical extended Gaussian-type models, it is assumed that chemical reactions are fast enough so the local chemical equilibrium is achieved at a receptor side. However, an equilibrium equation is valid only for instantaneous concentrations and it is assumed that it applies to average concentrations as well. In these models, only NO/NO₂/O₃ system is considered and photostationary state is assumed. As the auxiliary variables conserved scalars of this system are applied, i.e. total oxidants: $\overline{\phi_1} = NO_2 + O_3$ and total nitrogen oxides: $\overline{\phi_2} = NO + NO_2$. The photostationary-state equation is used in this case instead of an equilibrium equation.

The models of class 4 were used to study the behaviour of reactive plumes from power stacks for the distances up to 50 km. Some models were verifed. The importance of specific chemical reactions in the oxidation of NO to NO₂ was examined. Other models were validated based on a large number of experiments carried out under different emission and meteorological conditions[2], [32], [33], [34], [45], [50]. The comparisons confirmed that much better results are obtained when we use instantaneous values of dispersion coefficients instead of time averaged ones [2].

Examples of the extended Gaussian-type models

	Le ve 11
1. References	4. Model concept
2. Institution	a) Shape of plume cross sections
3. Tests performed/validation	b) Determination of plume boundaries
	c) Plume interactions with the ground or inversion layer
	d) Types of primary species considered (plume and am-
	bient air)
	e) Chemical kinetic scheme applied
1 Dec 1 Constantino de Constantino de Constantino de Constantino de Constantino de Constantino de Constantino d	f) Other physical processes
1. PETERS and RICHARDS [45] model verifica-	4.
tion: BANGE et al. [2]	a) Circular
2. University of Kentucky, USA/Environmental	b) Based on the dispersion coefficients δ_{y} , δ_{z}
Research Department, NV KEMA, Arn-	
heim, the Netherlands	d) NO, NO_2
3. Influence of introduction of instantane-	e) NO/NO ₂ /O ₃ system. Photostationary state
ous dispersion parameters on modelling	
the oxidation of NO emitted into O ₃	
containing atmosphere: 10 year KEMA	
field experiments carried out on many	
Dutch power plants and one German	
plant	
1. VAREY, SUTTON and MARSH [49]	4.
2. –	a) Circular
3. Examination of the roles of specific reac-	,
tions in oxidising NO to NO_2 in a plume	
$NO + O_3 \rightarrow NO_2 + O_2 \tag{1}$	d) NO, NO ₂
$2NO + O_2 \rightarrow 2NO_2$ (2)	e) NO/NO ₂ /O ₂ system. Photostationary state not assumed
	f) Not considered
1. WHITE [50]	4
2. Meteorology Research Inc, California, USA	a)-f) See above in the model of Peters and Richards
3. Analysis of field measurements of power-	
plant plumes.(Plume O ₃ concentrations	and the second
below background levels, O_3 deficit and	
HO–NO to NO_x decrease with distance	
from a stack): Labadie coal-fired power	
plant, Mo, USA	
1. JANSSEN, van HAFEN, BANGE and van	4.
DUUREN [32], [33], [34]	a)-f) See above in the model of VAREY [49]. Diffusion
2. Environmental Research Department, NV	equation for each species with chemistry term added
KEMA, Arnheim, the Netherlands	· · · · · · · · · · · · · · · · · · ·
3. Comparison of the formation of secondary	
species in power-plant plumes during the	
day and night time. (Model prediction and	
measurements: power plant, Amer., the	the second se
Netherlands	

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The examples of the specific models of class 4 with their characteristics and the tests conducted or validation are given in table 3.

6. CONCLUSIONS

Based on the first part of the review of chemically reactive plume models the following conclusions can be drawn:

1. Chemically reactive plume models incorporating turbulent mixing processes related to mean concentrations (i.e. macro-mixing processes) differ in the treatment of plume dispersion and the complexity of the chemical schemes applied.

2. Chemically reactive plume models incorporating macro-mixing processes are an important aid in learning how environmental parameters influence the plume dispersion and in exploring processes occurring in chemically reactive stack plumes.

3. Chemically reactive plume models incorporating macro-mixing processes are a useful tool in engineering studies.

4. Investigating the turbulent reactive flows in the atmosphere we have to take account of mixing processes related to both mean concentrations and concentration fluctuations (i.e. macro-mixing and micro-mixing processes). The models incorporating macro-mixing and micro-mixing processes will be discussed in the second part of this review.

REFERENCES

- [1] ATKINSON R., LLOYD A.C., WINGES, L., An updated chemical mechanism for hydrocarbon NO_x/SO₂ photooxidants suitable for inclusion in atmospheric models, Atm. Env., 1982, 16, 1341–1355.
- [2] BANGE P., JANSSEN L.H.J.M., NIEUWSTADT F.T.M., VISSER H., ERBRINK J.J., Improvement of the modelling of daytime nitrogen dioxide oxidation in plumes by using instantaneous plume dispersion parameters, Atm. Env., 1991, 25A, 2321–2328.
- [3] BAULCH D.L., COX R.A., HAMPSON R.F., KERR J.A., TROE J., WATSON R.J., Evaluated kinetic and photochemical data for atmospheric chemistry, J. Phys. Chem. Ref. Data, 1984, 13, 1259–1375.
- [4] BOTTENHEIM J.W., STRAUSZ O.P., *Modelling study of a chemically reactive power plant plume*, Atm. Env., 1984, 16, 85–97.
- [5] BUILTJES P.J.H., TALMAN A.M., Macro- and micro-scale mixing in chemical reactive plumes, Boundary Layer Met., 1984, 41, 417–426.
- [6] CHANG L.F.W. et al., Development of a Lagrangian reactive plume model, Materials from the 21 international conference on: Air Pollution Dispersion Modelling and its Application, Valence, Spain, June, 1993.
- [7] CLARK P.A., COX A.T., Mixing models for the simulation of plume interaction with ambient air, Atm. Env., 1988, 22, 1097–1106.
- [8] CARMICHAEL G.R., PETERS L.K., Application of the mixing-reaction in series model to NO_x-O_3 plume chemistry, Atm. Env., 1981, 15, 1069–1074.
- [9] COCKS A.T., FLETCHER J.S., Possible effects of dispersion on the gas phase chemistry of power plant effluents, Atm. Env., 1982, 16, 667–678.

- [10] COCKS A.T., FLETCHER J.S., Chemical studies of the long-range dispersion of power-plant plumes, [In:] Air Pollution Modelling and its Application II (ed. Wispelaere C.), pp. 137–157, Plenum Press, N.Y., 1982.
- [11] COCKS A.T., FLETCHER J.S., Major factors influencing gas-phase chemistry in power-plant plumes during long-range transport I – Release time and dispersion rate for dispersion into a "rural" ambient atmosphere, Atm. Env., 1988, 22, 663–676.
- [12] COCKS A.T., FLETCHER J.S., Major factors influencing gas-phase chemistry in power-plant plumes during long-range transport II – Release time and dispersion rate into an "urban" ambient atmosphere, Atm. Env., 1989, 23, 2801–2812.
- [13] de ARELLANO J.V.G., The influence of turbulence on chemical reactions in the atmospheric boundary layer, Phd thesis, 1991.
- [14] de ARELLANO J.V.G., TALMON A.M., BUILTJES P.J., Chemically reactive plume model for the NO/NO₂/O₃ system, Atm. Env., 1990, 24A, 2237–2246.
- [15] de ARELLANO J.V.G., DUYNKERKE P.G., JONKER P.J., BUILTJES P.J.H., An observational study on the effects of time and space averaging in photochemical models, Atm. Env., 1993, 27A, 353–362.
- [16] DEARDORFF J.W., Numerical investigation of neutral and unstable planetary boundary layer, J. Atmos. Sci., 1972, 29, 91–115.
- [17] DEMERJIAN K.L., SCHERE K.L., PETERSON J.T., Theoretical estimates of actinic (spherically integrated) flux and photolytic rate constants of atmospheric species in the lower troposphere, Adv. Env. Sci. Tech., 1980, 10, 369–459.
- [18] DERWENT R.G., Computer modelling studies of photochemical air pollution formation in power station plumes in the United Kingdon, AERE Report R-10631, 1981.
- [19] DERWENT R.G., HOV O., Computer modelling studies of photochemical air pollution in north-west Europe, AERE Report R-9434, 1979.
- [20] DERWENT R.G., The long-range transport of ozone within Europe and its control, AERE-13527, 1980.
- [21] FORNEY L.J., GIZ Z.G., Fast reversible reactions in power plant plumes. Application to the nitrogen dioxide photolytic cycle, Atm. Env., 1981, 15, 345–352.
- [22] FREIBERG, J., The iron catalized oxidation of SO₂ to acid sulphate mist in dispersing plumes, Atm. Env., 1976, 10, 121–130.
- [23] FREIBERG J., Conversion limit and characteristic time of SO₂ oxidation in plumes, Atm. Env., 1978, 12, 339–347.
- [24] ELSHOUT A.J., BEILKE S., *Die Oxidation von NO zu NO₂ in Abgasfahnen von Kraftwerken*, VGB Kraftwerktechnik, 1984, 7, 648–654 (in German).
- [25] GEORGOPOULOS P.G., SEINFELD J.H., Mathematical modelling of turbulent reacting plumes I General theory and model formulation, Atm. Env., 1986, 20, 1791–1801.
- [26] GEORGOPOULOS P.G., SEINFELD J.H., Mathematical modelling of turbulent reacting plumes II Application to the NO-O₂-O₃ system, Atm. Env., 1986, 20, 1809–1818.
- [27] GEORGOPOULOS P.G., SEINFELD J.H., Mathematical modelling of turbulent reacting plumes, E.Q.L. Report, California Institute of Technology, 1986.
- [28] Guideline on Air Quality Models, Report, EPA-450/2-78-027R, 1986.
- [29] HOV O., ISACKSEN I.S.A., Generation of secondary pollutants in power plant plumes: a model study, Atm. Env., 1981, 15, 2367–2376.
- [30] HESS G.D., A photochemical model for air quality assessment: model description and verification, Atm. Env., 1989, 23, 643–660.
- [31] HESS G.D., COPE M.E., Technical note. A note on subgrid scale processes in photochemical modelling, Atm. Env., 1989, 23, 2857–2860.
- [32] JANSSEN L.H.J.M., Mixing of ambient air in a plume and its effects on the oxidation of NO, Atm. Env., 1986, 20, 2347–2357.

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- [33] JANSSEN L.H.J.M., NIEUWSTADT F.T.M., DONZE M., Time scales of physical and chemical processes in chemically reactive plumes, Atm. Env., 1990, 24A, 2861–2874.
- [34] JANSSEN L.H.J.M., van HAVEN F., BANGE P., van DUUREN H., Measurements and modelling of reactions of nitrogen oxides in power plant plumes at night, Atm. Env., 1991, 25A, 829–840.
- [35] KNMI database, Royal Dutch Meteorological Institute, Air pollution and weather (in Dutch), Staatsuitgeverij Den Haag, 1979.
- [36] LYONS T., SCOTT B., Principles of air pollution meteorology, CRC Press, 1990.
- [37] McRAE G.J., SEINFELD J.H., Development of a second-generation mathematical model for urban air pollution II Evaluation of model performance, Atm. Env., 1983, 17, 501–522.
- [38] McRAE G.J., GOODIN W.R., SEINFELD J.H., Development of a second-generation mathematical model for urban air pollution I Model formulation, Atm. Env., 1982, 16, 679–696.
- [39] MARKIEWICZ M., The mutibox reactive plume model with variability of meteorological parameters taken into account. Part I Model formulation. Part II Simulation of the behaviour of the plume, Env. Prot. Eng., 1996, 22, 33–69.
- [40] MARKIEWICZ M., Modelling of the behaviour of the chemically reactive stack plume emitted from the coal-fired power station under different conditions (in Polish), Material from the conference on: Evaluation of the pollutants emission: POL-IMIS 97, Szklarska Poręba, June 1997.
- [41] MARKIEWICZ M., Influence of the release time and meteorological conditions on the formation of secondary pollutants in coal-fired power station plumes, Env. Prot. Eng., 1997, Vol. 23, No. 3–4, 65–80.
- [42] MEAGHER J.F., LURIA M., Model calculations of the chemical processes occurring in the plume of a coal-fired power plant, Atm. Env., 1981, 16, 183–195.
- [43] MELO O.T., LUSIS M.A., STEVENS R.D.S., Mathematical modelling of dispersion and chemical reactions in a plume – oxidation of NO to NO₂ in the power plant plume, Atm. Env., 1978, 12, 1231–1234.
- [44] MELO O.T., STEVENS R.D.S., The occurrence and nature of Brown plumes in Ontario, Atm. Env., 1981, 12, 2521–2529.
- [45] PETERS L.K., RICHARDS L.W., Extension of atmospheric dispersion models to incorporate fast reversible reactions, Atm. Env., 1977, 11, 101–108.
- [46] SEIGNEUR C., TESCHE T.W., ROTH P.M., LIU M.K., On the treatment of point source emissions in urban air quality modelling, Atm. Env., 1983, 9, 1655–1676.
- [47] SHU W.R., LAMB R.G., SEINFELD J.H., A model of second-order chemical reactions in turbulent fluid II – Application to atmospheric plumes, Atm. Env., 1978, 12, 1695–1704.
- [48] STEWARD D.A., MORRIS R.E., LIU M.K., HENDERSON D., Evaluation of an episodic regional transport model for a multi-day sulfate episode, Atm. Env., 1988, 17, 1225–1252.
- [49] VAREY R.H., SUTTON S., MARSH A.R.W., Nitrogen dioxide in power station plumes, Environ. Pollut., Ser. B, Elsevier Applied Science Publishers Ltd. England, 107–125, 1992.
- [50] WHITE W.H., NO₃-O₃ photochemistry in power plant plumes. Comparison of theory with observations, Env. Science and Tech., 1977, 11, 995–1000.
- [51] WHITTEN G.Z., KILLUS J.P., JOHNSON R.G., Modelling of auto exhaust smog chamber data for EKMA development, Environmental Science Research Laboratory, USEPA Research Triangle Park, North Carolina 27711, USA, 1985.

PRZEGLĄD MODELI SMUG REAKTYWNYCH CHEMICZNIE CZEŚĆ I. MODELE UWZGLĘDNIAJĄCE PROCESY MAKROMIESZANIA

Przedstawiono modele smug reaktywnych chemicznie. Opisują one proces powstawania zanieczyszczeń wtórnych w smugach emitowanych z wysokich punktowych źródeł emisji. Modele zostały podzielone na klasy zależnie od sposobu opisu procesów mieszania turbulencyjnego. Termin *mieszanie turbulencyjne* obejmuje makromieszanie i mikromieszanie. Procesy makromieszania odnoszą się do zmian stężeń średnich, podczas gdy procesy mikromieszania są związane z fluktuacjami stężeń, tj. odchyleniami stężeń od wartości średnich. Przegląd modeli obejmuje dwie części. W pierwszej z nich pokazano modele, w których uwzględniono tylko procesy makromieszania, w części drugiej natomiast modele dotyczące procesów mikromieszania, jak też modele opisujące oba te procesy, tj. mikro- i makromieszanie.

